

Amendments to the Claims:

This listing of claims will replace all prior versions, and listings, of claims in the application:

Listing of Claims:

Claim 1 (original) A method of wireless communication, comprising:

(a) estimating at least one eigenvector of a matrix of communication channel coefficients for a channel between a first plurality of antennas and a second plurality of antennas; and

(b) transmitting using said first plurality of antennas with the relative weightings of baseband signals on said first plurality of antennas corresponding to components of said at least one eigenvector.

Claim 2 (currently amended) The method of claim 1, wherein:

(a) (c) said communication channel has MN coefficients, α_{ij} for $i = 1, \dots, M$ and $j = 1, \dots, N$ where M and N are positive integers, and α_{ij} relates to transmission from the i th antenna of a transmitter to the j th antenna of a receiver, and said matrix is CC^H where C is the $M \times N$ matrix with i th row and j th column entry α_{ij} and H is Hermitian conjugate.

Claim 3 (currently amended) The method of claim 2, wherein:

(a) (d) said signals on said antennas are a superposition of first signals weighted according to a first eigenvector of CC^H

Claim 4 (currently amended) (e) Claim 5 (original) Claim 6 (currently amended) (d) α_{ij} and said matrix is CC^H where C is the $M \times N$ matrix with i th row and j th column entry α_{ij} and H is Hermitian conjugate.

Claim 7 (currently amended) The method of claim 5, further comprising:

~~(a)~~ (d) repeating step (c) of claim 5 for a plurality of distributions of constellations of symbols where each of said signals includes a symbol of a constellation as a factor for a corresponding linear combination; and

~~(b)~~ (e) using for said transmitting of step (b) of claim 5 the distribution of constellations and corresponding linear combinations from step ~~(a)~~ (d) of this claim which has a largest maximum.

Claim 8 (currently amended) The method of claim 5, wherein:

~~(a)~~ (d) each of said linear combinations has a single nonzero coefficient with a one-to-one relation between said K signals and K of said eigenvectors.

Claim 9 (original) A transmitter, comprising:

- (a) antennas A1, ..., AM where M is a positive integer greater than 1;
- (b) a channel analyzer coupled to said antennas and operable to estimate eigenvalues and eigenvectors of an $M \times M$ matrix derived from coefficients of a communication channel from said antennas to a receiver;
- (c) a signal generator coupled to said antennas and to said channel analyzer and operable to apply signals S1, ..., SM to said antennas A1, ..., AM, respectively; wherein said signals are proportional to the components of a linear combination of said estimated eigenvectors.

Claim 10 (currently amended) The transmitter of claim 9, wherein:

- (a) (d) said channel analyzer is operable to compare the magnitudes of a first eigenvalue and a second eigenvalue; and
- ~~(b)~~ (e) said signal generator allocates bits to be transmitted between first signals S'1, ..., S'M and second signals S"1, ..., S"M according to ~~the results of step (a)~~ an output of said channel analyzer, wherein said first signals S'1, ..., S'M are transmitted according to the components of said first eigenvector and said second signals S"1, ..., S"M are transmitted according to the components of said

second eigenvector and the signals S_1, \dots, S_M include the sums $S_1' + S_1''$, ..., $S_M' + S_M''$, respectively.

Claim 11 (currently amended) The transmitter of claim 9, wherein:

(a) (d) when said communication channel connects said antennas A_1, \dots, A_M with antennas B_1, \dots, B_N of a receiver for N a positive integer, said $M \times M$ matrix is CC^H where C is an $M \times N$ matrix with element m,n an estimate of a channel coefficient from antenna A_m to antenna B_n , and where C^H is the Hermitian conjugate of C .

Claim 12 (currently amended) The transmitter of claim 9, wherein:

(a) (d) said signal generator includes information of constellation distributions and linear combinations of eigenvectors in terms of eigenvalues.